## CARE-HHH-APD BEAM'07

## Optics considerations for PS2

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## Outline

- Motivation and design constraints for PS2
- FODO lattice
- Doublet/Triplet
- Flexible (Negative) Momentum Compaction modules
$\square$ High-filling factor design
$\square$ Tunability and optics' parameter scan
- PS2-SPS transfer line optics design
- Summary and perspectives


## Motivation - LHC injectors' upgrade

- Upgrade injector complex.
$\square$ Higher injection energy in the SPS $=>$ better SPS performance
$\square$ Higher reliability

(LP)SPL: (Low Power) Superconducting Proton Linac (4-5 GeV)
PS2: High Energy PS
( $\sim 5$ to $50 \mathrm{GeV}-0.3 \mathrm{~Hz}$ )
SPS+: Superconducting SPS
( 50 to 1000 GeV )
SLHC: "Super-luminosity" LHC (up to $10^{35} \mathrm{~cm}^{-2} \mathrm{~s}^{-1}$ ) DLHC: "Double energy" LHC ( 1 to $\sim 14 \mathrm{TeV}$ )


## Design and optics constraints for PS2 ring

- Replace the ageing PS and improve options for physics
- Integration in existing CERN accelerator complex
- Versatile machine:
$\square$ Many different beams and bunch patterns
$\square$ Protons and ions

| Basic beam parameters | PS2 |
| :--- | ---: |
| Injection kinetic energy $[\mathrm{GeV}]$ |  |
| Extraction kinetic energy $[\mathrm{GeV}]$ | $\sim 50$ |
| Circumference $[\mathrm{m}]$ | 1346 |
| Transition energy $[\mathrm{GeV}]$ | $\sim 10 / 10 \mathrm{i}$ |
| Maximum bending field $[\mathrm{T}]$ | 1.8 |
| Maximum quadrupole gradient $[\mathrm{T} / \mathrm{m}]$ | 17 |
| Maximum beta functions $[\mathrm{m}]$ | 60 |
| Maximum dispersion function $[\mathrm{m}]$ | 6 |
| Minimum drift space for dipoles $[\mathrm{m}]$ | 0.5 |
| Minimum drift space for quads $[\mathrm{m}]$ | 0.8 |

- Constrained by incoherent space-charge tune-shift ( $\sim 0.2$ )


## Layout

Golf (9 trous)

## FODO Lattice

- Conventional Approach:
$\square$ FODO with missing dipole for dispersion suppression in straights
$\square 2$ dipoles per half cell, 2 quadrupole families
$\square$ Phase advance of $88^{\circ}, \gamma_{\text {tr }}$ of 11.4
$\square 7$ cells/straight and 22 cells/arc => in total 58 cells
$\square \mathrm{Q}_{\mathrm{H}, \mathrm{V}}=14.1$-14.9
$\square$ Alternative design with matching section and increased number of quadrupole families



## Dispersion suppressor and straight section

| Cell length [m] | 23.21 |
| :--- | ---: |
| Dipole length [m] | 3.79 |
| Quadrupole length [m] | 1.49 |
| LSS [m] | 324.99 |
| Free drift [m] | 10.12 |
| \# arc cells | 22 |
| \# LSS cells: | 7 |
| \# dipoles: | 168 |
| \# quadrupoles: | 116 |
| \# dipoles/half cell: | 2 |

Extraction


## Doublet and Triplet arc cells




- Advantages
$\square$ Long straight sections and small maximum $\beta$ 's in bending magnets (especially for triplet)
- Disadvantage

High focusing gradients (especially for doublet)

## Flexible Momentum Compaction Modules

- Aim at negative momentum compaction
- Similar to and inspired from existing modules (e.g. J-PARC, see also talk by Yu. Senichev)
- First approach (one module made of three FODOs):
$\square$ Match regular FODO to $90^{\circ}$ phase advance
$\square$ Reduced central straight section without bends, re-matched to obtain phase advance (close to three times that of the FODO, i.e. $270^{\circ}$ )
- Disadvantage: Maximum vertical $\beta$ above 80 m



## FMC modules with high filling factor

- Improve filling factor: four FODO per module
- Dispersion beating excited by "kicks" in bends
- Resonant behavior: total phase advance $<2 \pi$
- Large radii of the dispersion vector produce negative momentum compaction
- High phase advance is necessary


Optics Considerations for PS2

## Improving the high filling factor FMC

- The "high-filling" factor arc module
$\square$ Phase advances of $\mathbf{2 8 0}^{\circ}, \mathbf{3 2 0}^{\circ}$ per module
$\square \gamma_{t}$ of $\mathbf{8 . 2 i}$
$\square$ Four families of quads, with max. strength of $0.095 \mathrm{~m}^{-2}$
$\square$ Max. horizontal beta of 67 m and vertical of 43m
$\square$ Min. dispersion of -6 m and maximum of 4 m
$\square$ Chromaticities of -1.96,-1.14
$\square$ Total length of 96.2 m
- Slightly high horizontal $\beta$ and particularly long module, leaving very little space for dispersion suppressors and/or long straight sections


## Alternative FMC module

- 1 FODO cell with $4+4$ bends and an asymmetric low-beta triplet
$\square$ Phase advances of $\mathbf{3 2 0}{ }^{\circ}, \mathbf{3 2 0}{ }^{\circ}$ per module
$\square \gamma_{t}$ of 6.2 i
$\square$ Five families of quads, with max. strength of $\mathbf{0 . 1} \mathrm{m}^{-2}$
$\square$ Max. beta of 58 m in both planes
$\square$ Min. dispersion of $\mathbf{- 8 m}$ and maximum of 6 m
$\square$ Chromaticities of -1.6,-1.3
$\square$ Total length of 90.56 m
■ Fifth quad family not entirely necessary
■ Straight section in the middle can control $\gamma_{t}$
- Phase advance tunable between $240^{\circ}$ and $330^{\circ}$

- Main disadvantage the length of the module, giving an arc of around 560 m ( 5 modules + dispersion suppressors), versus 510m for the FODO cell arc


## The "short" FMC module

■ Remove middle straight section and reduce the number of dipoles

- 1 asymmetric FODO cell with $4+2$ bends and a low-beta doublet
$\square$ Phase advances of $\mathbf{2 8 0 , 2 6 0}{ }^{\circ}$ per module
$\square \gamma_{t}$ of 9.4 i
$\square$ Five families of quads, with max. strength of $\mathbf{0 . 1} \mathbf{m}^{-2}$
$\square$ Max. beta of around 60 m in both planes
$\square$ Min. dispersion of $\mathbf{- 2 . 5 m}$ and maximum of 5 m
$\square$ Chromaticities of -1.1,-1.7
$\square$ Total length of $\mathbf{7 2 . 8 4 m}$


■ Phase advance tunable between $240^{\circ}$ and $420^{\circ}$ in the horizontal and between $\mathbf{2 5 0}^{\circ}$ and $\mathbf{3 2 0}{ }^{\circ}$ in the vertical plane

## Transition energy versus horizontal phase advance



## Dispersion versus transition energy



- Almost linear dependence of momentum compaction with dispersion min/max values
- Higher dispersion variation for $\gamma_{t}$ closer to 0
- Smaller dispersion variation for higher $\gamma_{t}$


## Transition energy versus chromaticity



- Higher in absolute horizontal chromaticities for smaller transition energies
- Vertical chromaticities between -1.8 and -2 (depending on vertical phase advance)
- Main challenge: design of dispersion suppressor and matching to straights


## PS2 - SPS Transfer Line design goals

- Keep it short!
- Matched optics $\left(\beta, \alpha, \boldsymbol{D}, \boldsymbol{D}^{\prime}\right)$ at both ends (PS2, SPS)
$\Rightarrow$ Get dispersion under control!

|  | $\mathbf{L}_{\text {cell }}[\mathrm{m}]$ | $\boldsymbol{\beta}_{\max }[\mathrm{m}]$ | $\boldsymbol{\beta}_{\min }[\mathrm{m}]$ |
| :---: | :---: | :---: | :---: |
| SPS | 64 | 110 | 19 |
| PS2 | 25.89 | 45 | 8 |

- Match space/geometry requirements (Transfer Line defines location of PS2)
$\square 15 \mathrm{~m}$ separation between TT10/TI2 and PS2 beam axis and same between PS2 and any other beam axis
$\rightarrow$ Length limits for TT12 + tight geometry constraints!!!

- Use normal conducting NC (dipole, quadrupole) magnets
- Low $\boldsymbol{\beta}$ insertion for ion stripping
- Emittance exchange scheme
- Branch-off to experimental areas

■ No need for vertical bends,

## PS2 - SPS Transfer Line optics

- Matching section (with low- $\beta$ insertion) near SPS
- 2 bending sections (opposite direction) as achromats ( $D=D^{\prime}=0$ at each end)


SPS injection Matching



## Summary

■ Different lattice types for PS2 optics investigated
$\square$ FODO type lattice a straightforward solution
$\square$ FMC lattice possible alternative

- no transition crossing
- challenge: matching to straights with zero dispersion
- Perspectives:
$\square$ Complete the lattice design including chromaticity correction and dynamic aperture evaluation
$\square$ Detailed comparison based on performance with respect to beam losses
- Collimation system
- Non-linear dynamics
- Collective effects

